On the Formal Definition of Separation-of-Duty (SoD) Policies and their Composition

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May 5, 1998

SoD premise:

• Violations that require collusion are less likely to happen

SoD goals:

- Separate sensitive tasks of an application such that integrity violations => collusion
- Minimize risk of collusion by *careful* assignment of users to separate tasks

SoD implementation:

- Define integrity property of an application
- Partition application into separate operations and objects
- carefully assign of users to separate application partitions

SoD Policies

Advantage:

- wide-spread acceptance by business, industry, government

Drawbacks:

- application-oriented policy
 - => limited scope
 - => separate administration
- family of policies
 - => required system flexibility
- uncertain policy interpretation
 - => uncertain relative strength

Drawbacks:

Mitigation:

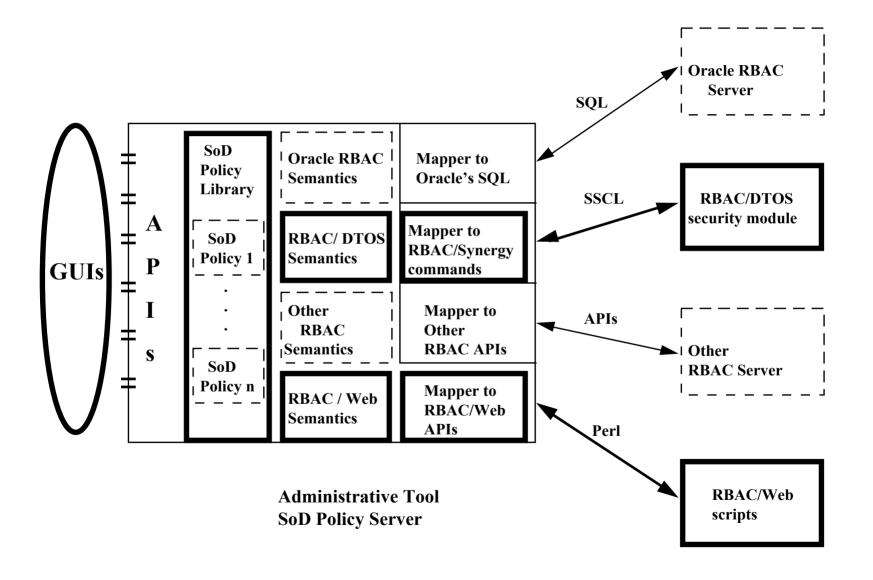
- application-oriented policy
- make it a feature of a global policy

- => limited scope
- => separate administration
- family of policies
 - => required system flexibility
- uncertain policy interpretation
 - => uncertain relative strength

- provide administrative tools
- define formally

Solution: Define, implement, and administer SoD policies in systems suporting Role-Based Access Control (RBAC)

Vision: SoD Administrative Tool



Systems

- *state machine* STATES, SUBJECTS, USERS, OPERATIONS, OBJECTS
- state transitions
 - commands: $op(s_1, S, obj, s_2)$
 - command sequence: $op_1(s_0, S_1, obj, s_1)op_2(s_1, S_2, obj_2, s_2)...$
 - tranquil commands: do not alter security attributes
- system: a set of command sequences with start states s_0 in STATES₀.
- secure state, commands: those that satisfy properties
- reachable state: a state appearing in a command sequence of a system
- secure system: all state transitions and reachable states are secure
- Ω set of all command sequences of a secure system

Applications and Executability

- application: App = [ObjSet, OpSet, Plan]
 - plan: a finite set of pairs {(obj_i, op_i)}
 - ordered plan: an ordered set of pairs {(obj_i, op_i)}
 - plans with "operation bracketing" (e.g., least-privilege princ.)
- $App_1 \cup App_2 =$ $[ObjSet_1 \cup ObjSet_2, OpSet_1 \cup OpSet_2, Plan_1 \cup Plan_2]$

• command sequence σ executes App if for any pair (obj_i, op_i) in Plan there is a command $op_i(s_k, S, obj_i, s_{k+1})$ in σ

Property Types

 $P = Attribute (AT) properties \land$

Access Management (AM) properties ^

Access Authorization (AA) properties

Examples of Property Types

• Attribute (AT) Properties

- security (integrity) levels, partial order, lattice property
- roles, hierarchy, permissions, membership, inheritance

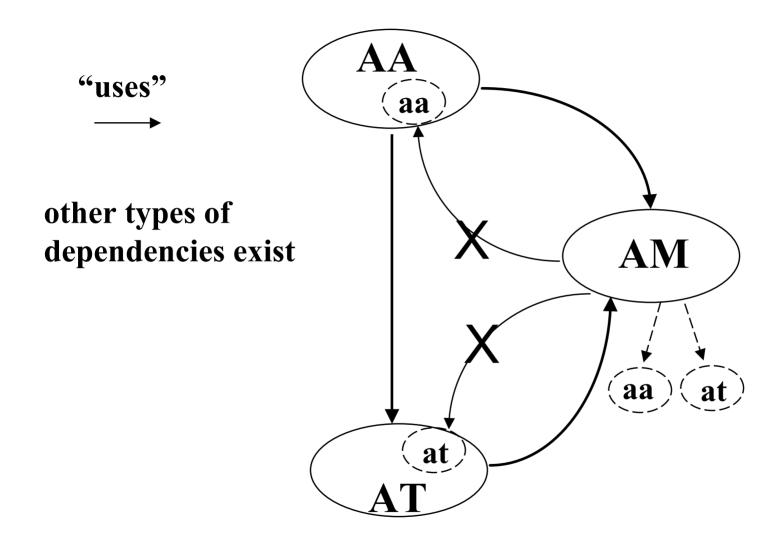
Access Management (AM) Properties

- distribution, review, revocation of permissions
 - selectivity, transitivity, independence ...
- object / subject creation and destruction
- object encapsulation

Access Authorization (AA) Properties

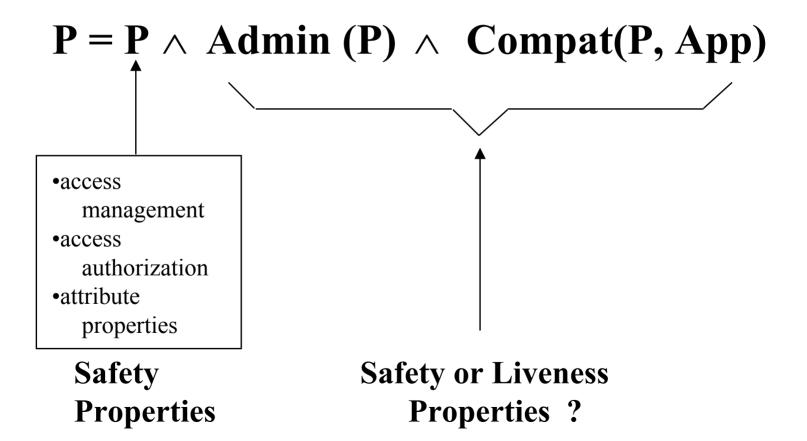
- required subject and object attributes for access
 - BLP, Biba, RBAC, UNIX ...

Property Dependencies



Individual policy properties cannot be composed independently

Policy Structure



SoD Policy Structure

 $SoD-P = SoD-P \land Admin(SoD-P) \land Compat(SoD-P, App) \land RBAC-P$

Admin(P)

P: a set of tranquil command sequences with the start state in STATES₀

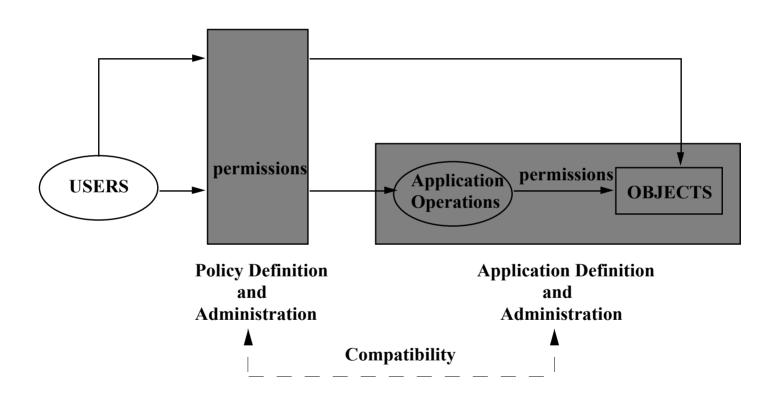
for all $Admin(P) = \text{``for each s in STATES'}, there \ exists \ s_0 \in STATES_0,$ there exists $\omega \in \Omega$ such that: ω starts in s, and ω reaches s_0 and s_0^* is in P''

Compat(P, App)

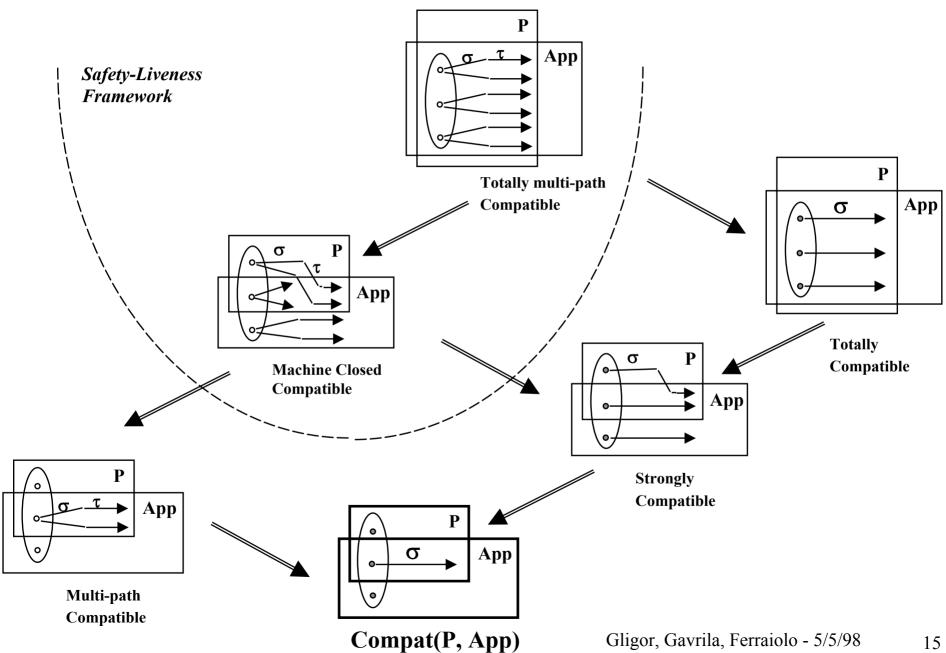
Compat(P) = "there exists $s_0 \in STATES_0$ and $\sigma \in P$ starting in s_0 such that σ executes App"

.... neither Safety nor Liveness

Mandated Compatibility



Types of Compatibility



Totally Multi-path Compatible

For each start state s_0 there is a comand sequence σ in P starting in s_0 , and for each finite command sequence σ in P there is a command sequence τ such that $\sigma\tau$ is in P and executes App.

Machine-Closed Compatible

For each finite command sequence σ in P there is a command sequence τ such that $\sigma\tau$ is in P and executes App.

Multi-path Compatible

There is a start state s_0 such that for each finite command sequence σ in P starting in s_0 there is τ such that $\sigma\tau$ is in P and executes App.

Totally Compatible

For each start state s_0 there is a command sequence σ in P starting in s_0 such that σ executes App.

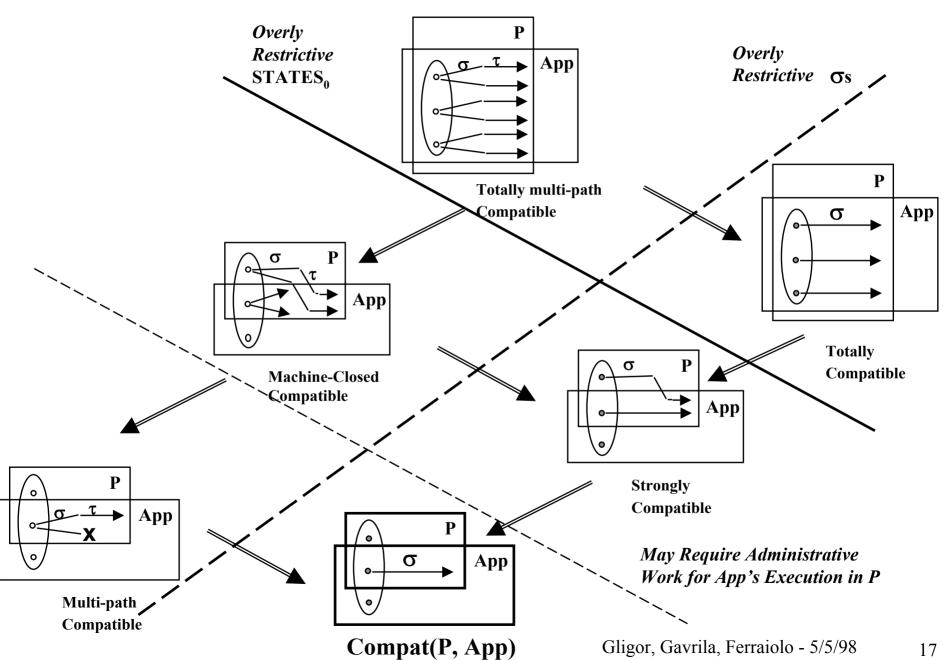
Strongly Compatible

For each start state s_0 such that s_0^* is in P, there is a command sequence σ in P starting in s_0 that executes App.

Compatible

There is a start state s_0 and a command sequence σ in P starting in s_0 that executes App.

Types of Compatibility



Overly Restrictive os

Example:

 $App = [\{obj\}, \{op_1, op_2\}, plan]; plan = \{(obj, op_1), (obj, op_2)\}$ P: "u₁ and u₂ are the only users who may execute App and a user may not execute two distinct (or all) operations on the same object"

Compat(P, App) is true

$$\sigma = S_1:(op_1, obj) \qquad S_2:(op_2, obj)$$

$$S_0 \longrightarrow S_1 \longrightarrow S_2$$

 u_1 : $(op_1: obj)$, $S_1 = subject$ u_2 : $(op_1, op_2: obj)$, S_2 , S_2 '= subjects

Compat_M(P, App) is false

$$\sigma' = S_2':(op_1, obj) \qquad \tau = S_2':(op_2, obj)$$

$$S_0 \longrightarrow S_1' \longrightarrow \chi$$

$$u_1: (op_1: obj), S_1$$

$$u_2: (op_1, op_2: obj), S_2, S_2'$$

$$S_1:(op_2, obj)$$

Simple Policy Composition

$$\begin{split} P_1 &= P_1 \wedge Admin(P_1) \wedge Compat(P_1, App_1) \\ P_2 &= P_2 \wedge Admin(P_2) \wedge Compat(P_2, App_2) \\ Let \ CS(P_i) &= P_i, if \ Admin(P_i) \wedge Compat(P_i, App_i) \ is \ True; \\ \varphi, \ otherwise. \end{split}$$

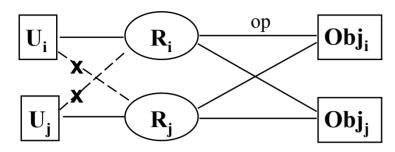
(Emerging policy)
$$P_1 \circ P_2 =$$

= $P_1 \wedge P_2 \wedge Admin(P_1 \wedge P_2) \wedge Compat(P_1 \wedge P_2, App_1 \cup App_2)$

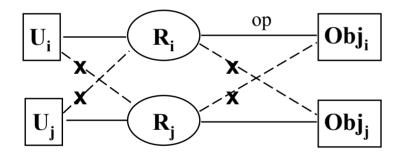
$$P_1,\,P_2$$
 are composable if and only if
$$CS(P_1\,o\,P_2)\neq \varphi\, \text{whenever}\,\, CS(P_1),\, CS(P_2) \quad \neq \varphi$$

SoD Properties (1)

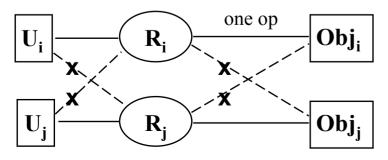
Static SoD



Strict Static SoD

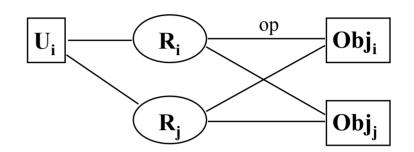


1-step Strict Static SoD

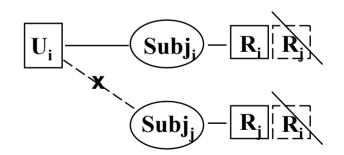


Dynamic SoD

role membership

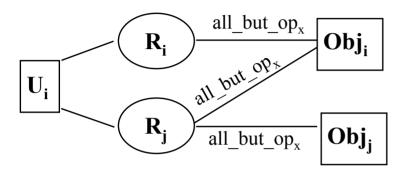


role activation

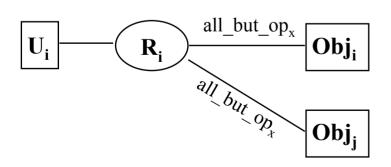


SoD Properties (2)

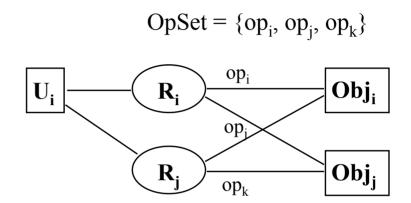
Operational Static SoD



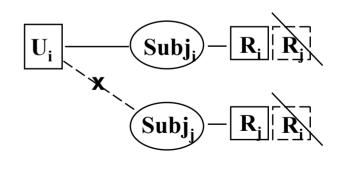
per-Role Operational Static SoD



Operational Dynamic SoD

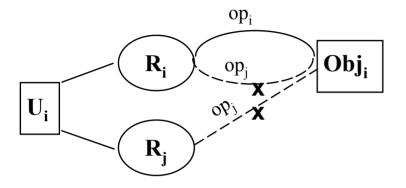


role activation

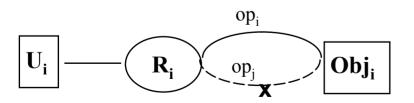


SoD Properties (3)

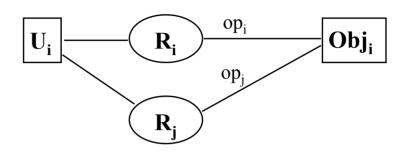
Object-based Static SoD



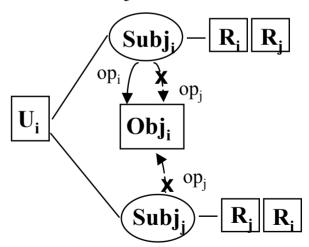
per-Role, Object-based Static SoD



Object-based Dynamic SoD



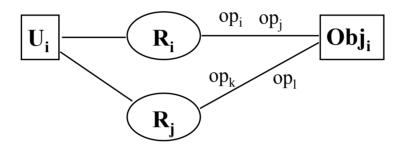
object access



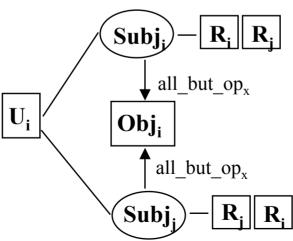
SoD Properties (4)

History-based Dynamic SoD

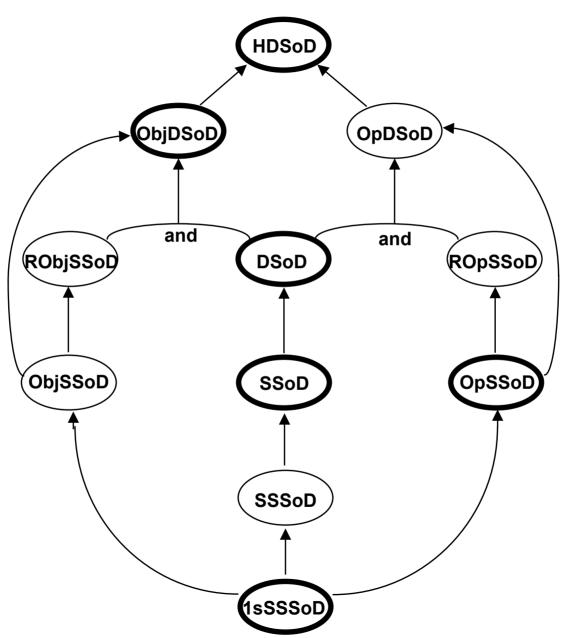
$$OpSet = {op_i, op_j, op_k, op_l}$$



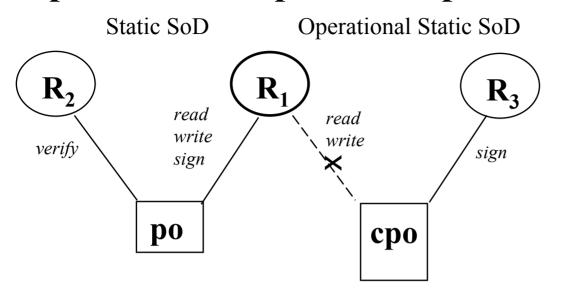
object access



Relationships among SoD Properties



Example: Non-Composable Separation-of-Duty Policies



Purchasing Staff Department **Purchasing Staff Central Administration**

